

- (20 Points) A single strain gage is cemented to a solid 96-mm-diameter shaft at an angle $\beta = 20^\circ$ with a line parallel to the axis of the shaft as shown in Figure 1. Determine the torque T corresponding to a gage reading of 400μ . Use Young's modulus $E = 35GPa$, shear modulus $G = 13.46GPa$, and Poisson's ratio $\nu = 0.3$ for the shaft.
- (20 Points) An uniform beam with the I-type cross-section shown in Figure 2(b) is subjected to the loading conditions illustrated in Figure 2(a). (i) Determine the distance a for which the maximum absolute value of the bending moment in the beam is as small as possible, and (ii) the corresponding maximum normal stress due to bending.
- (20 Points) An aluminum rod ABC ($E = 10.1 \times 10^6 psi$), which consist of two cylindrical portions AB and BC , is replaced with a cylindrical steel rod DE ($E = 29 \times 10^6 psi$) of the same overall length. Determine the minimum required diameter d of the steel rod if its vertical deformation is not to exceed the deformation of the aluminum rod under the same load (28×10^3 pounds) and if the allowable stress in the steel rod is not to exceed $24 \times 10^3 psi$.
- (20 Points) A solid circular shaft is loaded and supported as shown in Figure 4. If the tensile and shearing stresses at point A on the surface of the shaft are not to exceed $140MPa$ and $85MPa$, respectively, determine the maximum value for the load R .
- (20 Points) A circular shaft of the yield strength $\sigma_{yp} = 350MPa$ is subjected to a combined state of loading defined by bending moment $M = 8 kN \cdot m$ and torque $T = 24 kN \cdot m$ as shown in Figure 5. Calculate the minimum required shaft diameter to maintain the shaft to be within the elastic region. Apply the maximum shearing stress theory.

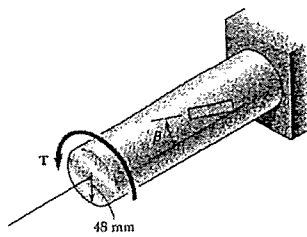


Figure 1

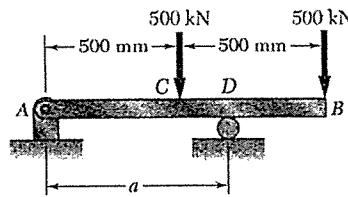


Figure 2(a)

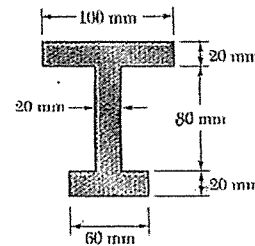


Figure 2(b)

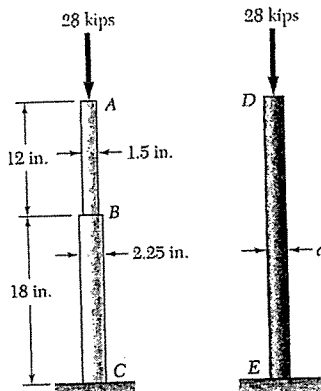


Figure 3

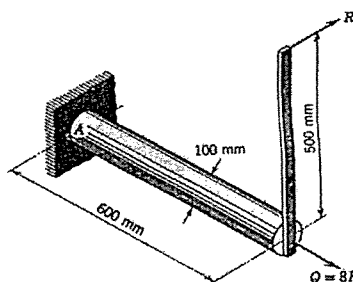


Figure 4

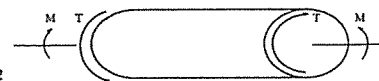


Figure 5