題號: 261 國立臺灣大學105學年度碩士班招生考試試題

科目:離散數學(A)

節次: 6

共 8 大題。總分 100 分。

- 1. [10 points] A market has X different items {a[1], a[2], ..., a[X]}. How many ways can we buy Y items from this market?
- 2. [15 points] As above. Write an algorithm to generate all these ways.
- 3. [10 points] Sets $A=\{\}$ and $B=\{A, 0\}$. What is $C=\{$ the subsets of B $\}$?
- 4. [10 points] Does there exist an integer X, Y, Z such that 30X + 18Y + 6Z = 214? Prove or show it.
- 5. [15 points] How can we measure exactly one ounce by two containers with capacities 42 ounces and 55 ounces respectively.
- 6. [15 points] How many "X" will be printed by the following procedure: for (A=1; A<5; A++) for (B=A; B<9; B++) for (C=A; C<B+1; C++) printf("X");
- 7. [15 points] Find a logic formula (using the connectives $^{\wedge}$, $^{\vee}$, $^{\neg}$) that is equivalent to "if (A $^{\wedge}$ B) then {if C then $^{\neg}$ D;} else E;".
- 8. [10 points] As above. Prove that "if $[(p \rightarrow q) \land \neg p] \rightarrow \neg q$ is valid".

試題隨卷繳回